

Uncertainty related to ownership allocation

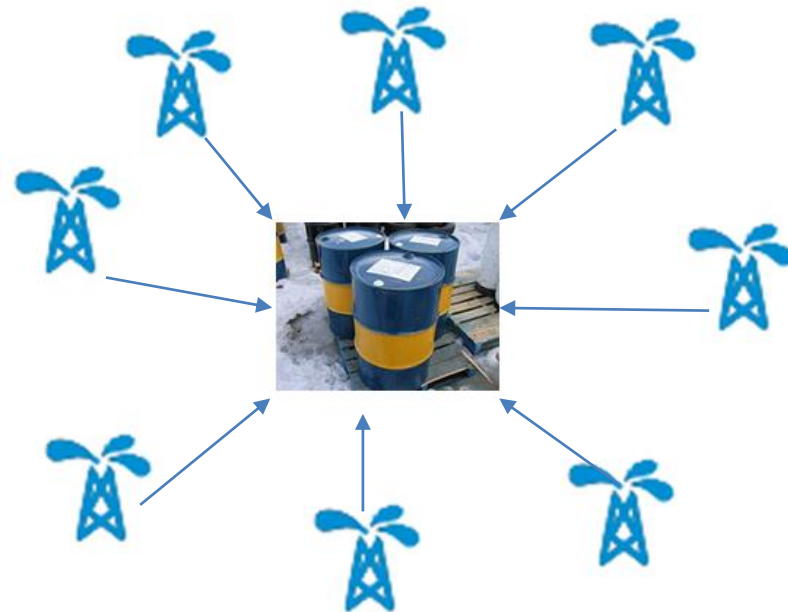
By Astrid Marie Skålvik

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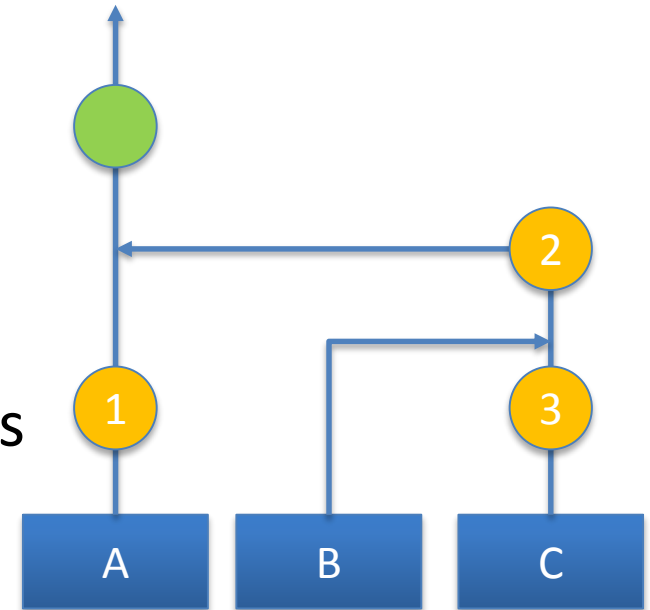
Introduction

- Increasing attention to uncertainty related to allocation
 - Both field and ownership
- Involve uncertainty calculations at system level
- Straightforward allocation principles, often complex details

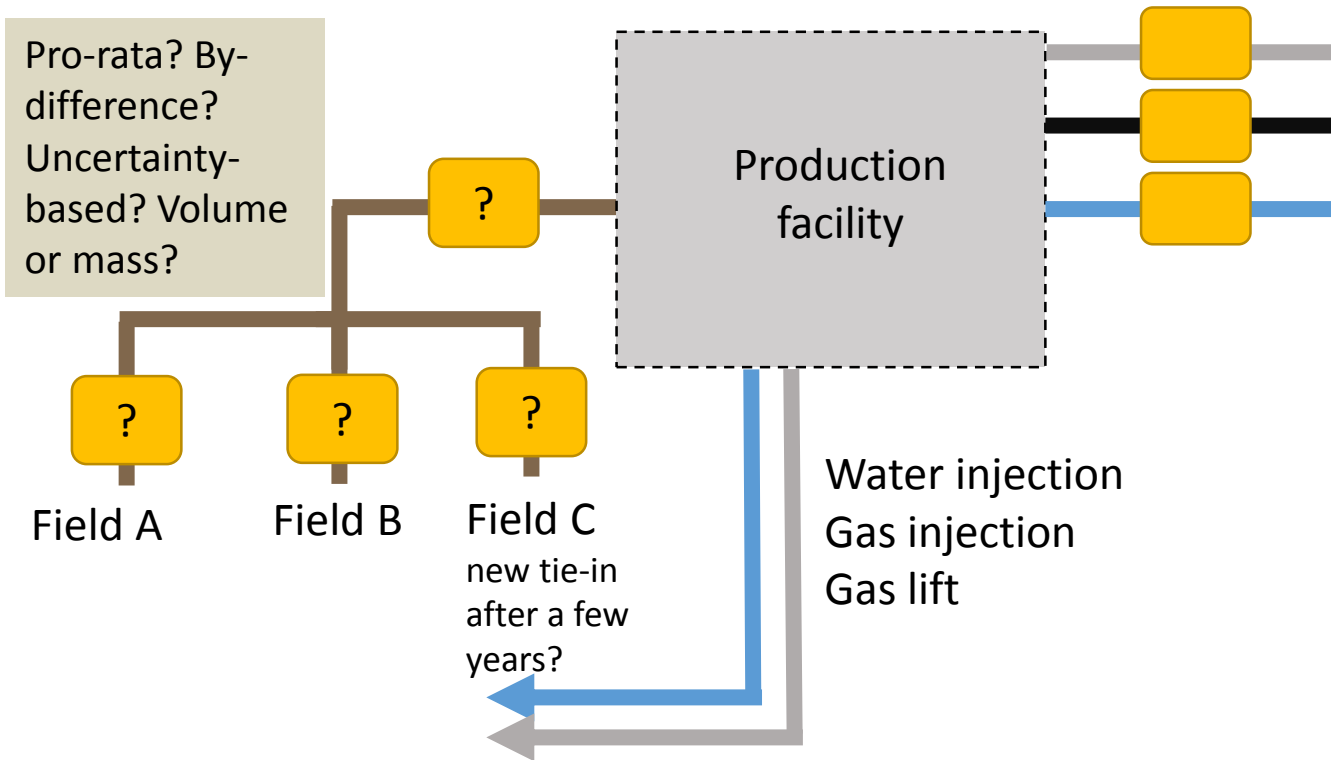


Field allocation uncertainty

- Affected by
 - Metering station uncertainty
 - Production profile
 - Composition
 - Uncertainty in process parameters (P, T, ORF...)
 - System topologi
 - Allocation methodology
- With ISO Gum, NFOGM tools, Energy Institute guideline - > This is possible to do...



This is possible to do.....



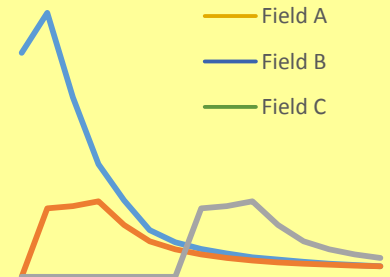
Fragmented ownership

	Field A	Field B
Owner 1	30 %	98 %
Owner 2	60 %	0 %
Owner 3	10 %	2 %

+ sampling
+ flow rate estimates
+ HYSYS / PVT simulation
uncertainties for ORF /
Kappa estimation

Component-based
allocation?

What about changing
rates through field
lifetime?



$$M_{x,i}^{HC} = M_{x,i}^{gas} + M_{x,i}^{oil} - M_{x,i}^{gas\ lift} - M_{x,i}^{flare\ gas}$$

$$M_{x,i}^{gas} = M_x^{gas} \cdot w_{x,i}^{ga}$$

$$M_{x,i}^{oil} = M_x^{oil} \cdot w_{x,i}^{oil}$$

$$M_{x,i}^{gas\ lift} = M_x^{gas\ lift} \cdot w_{x,i}^{gas\ lift}$$

$$M_{x,i}^{oil,calc} = M_{x,i}^{HC} \cdot ORF_x$$

$$M_{x,i}^{oil,calc} = (M_x^{gas} w_{x,i}^{gas} + M_x^{oil} w_{x,i}^{oil} - M_x^{gas\ lift} w_{x,i}^{gas\ lift}) \cdot ORF_{x,i}$$

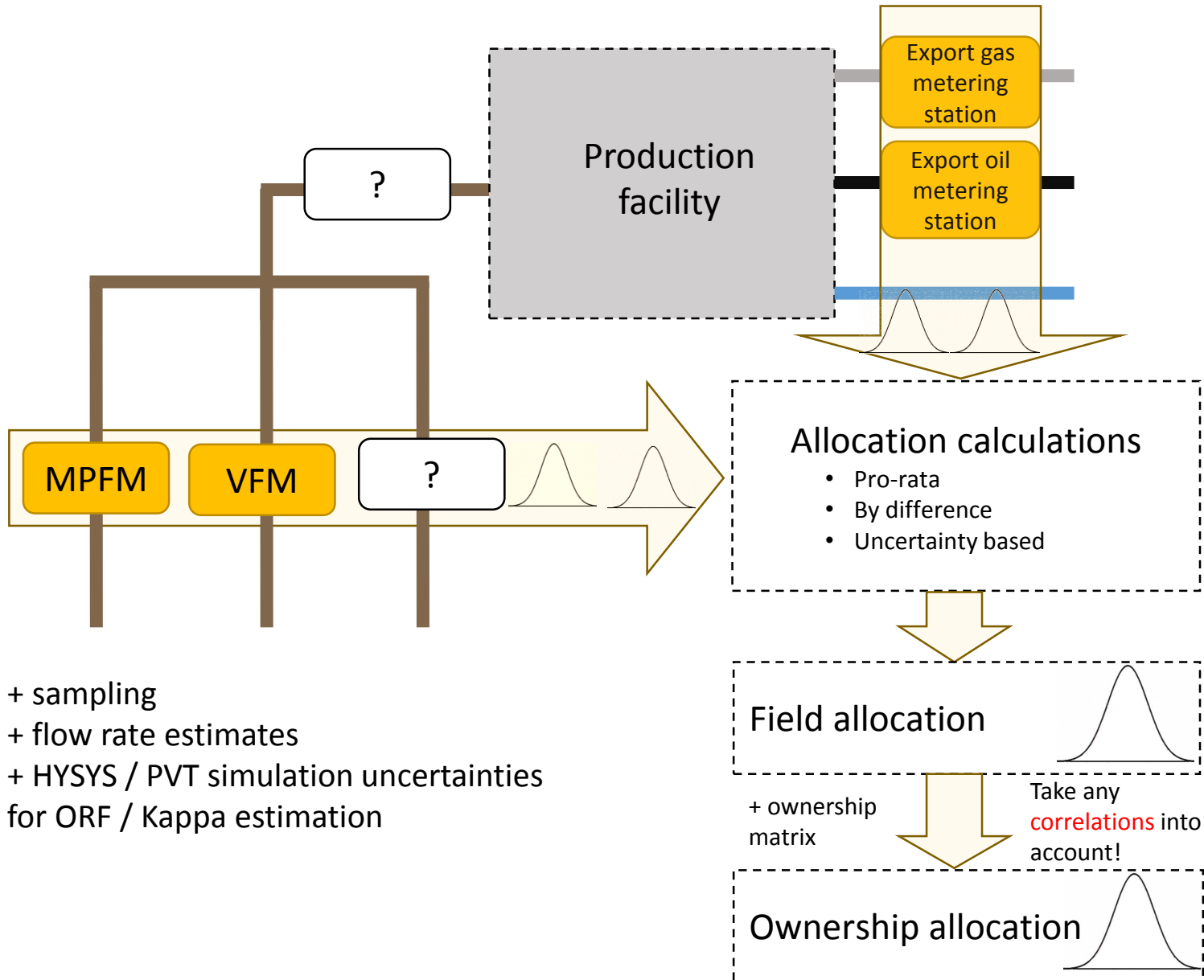
$$\begin{aligned}
U^*(M_{x,i}^{oil,calc})^2 &= \left(\frac{M_x^{gas} w_{x,i}^{gas}}{M_{x,i}^{HC}} U^*(M_x^{gas}) \right)^2 + \left(\frac{M_x^{gas} w_{x,i}^{gas}}{M_{x,i}^{HC}} U^*(w_{x,i}^{gas}) \right)^2 + \left(\frac{M_x^{oil} w_{x,i}^{oil}}{M_{x,i}^{HC}} U^*(M_x^{oil}) \right)^2 \\
&+ \left(\frac{M_x^{oil} w_{x,i}^{oil}}{M_{x,i}^{HC}} U^*(w_{x,i}^{oil}) \right)^2 + \left(\frac{M_x^{gas lift} w_{x,i}^{gas lift}}{M_{x,i}^{HC}} U^*(M_x^{gas lift}) \right)^2 \\
&+ \left(\frac{M_x^{gas lift} w_{x,i}^{gas lift}}{M_{x,i}^{HC}} U^*(w_{x,i}^{gas lift}) \right)^2 + (U^*(ORF_{x,i}))^2
\end{aligned}$$

This is possible to do...

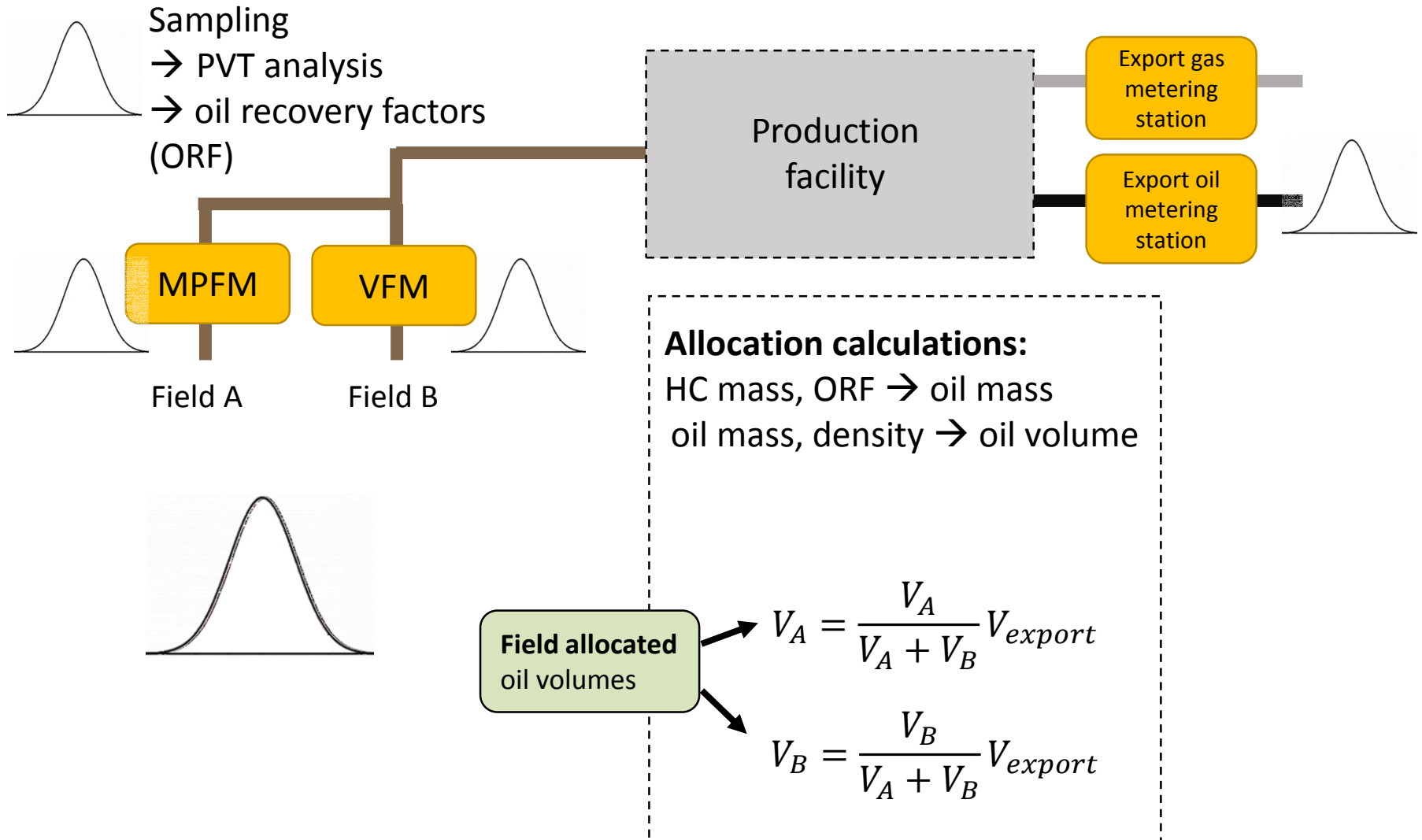
... but it soon gets complicated
solving the allocation equations
analytically or using an excel model

[illegible]

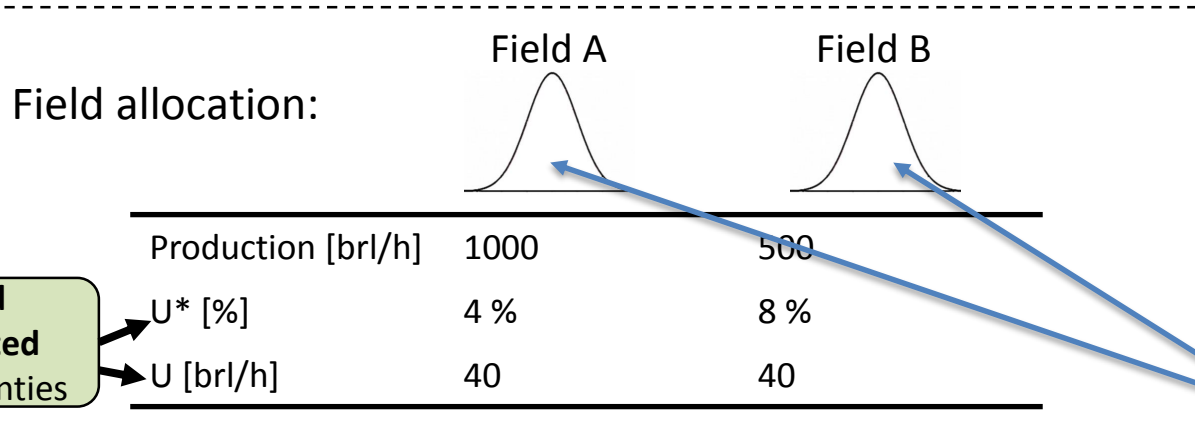
Modular logic and Monte Carlo simulation



Example: 2 fields – pro rata allocation of oil volume



Ownership allocation uncertainty

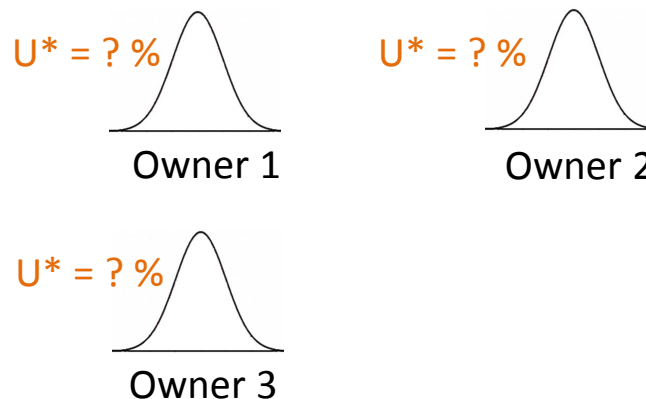


Correlated distributions!

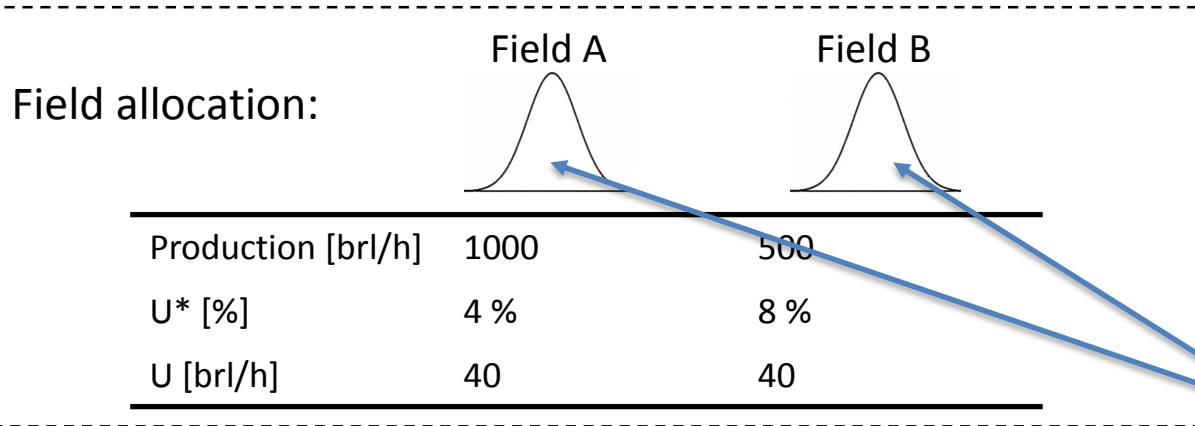
Ownership matrix:

	Field A	Field B
Owner 1	30 %	100 %
Owner 2	60 %	-
Owner 3	10 %	-

Ownership allocation



Ownership allocation uncertainty



Correlated
distributions!

Ownership matrix:

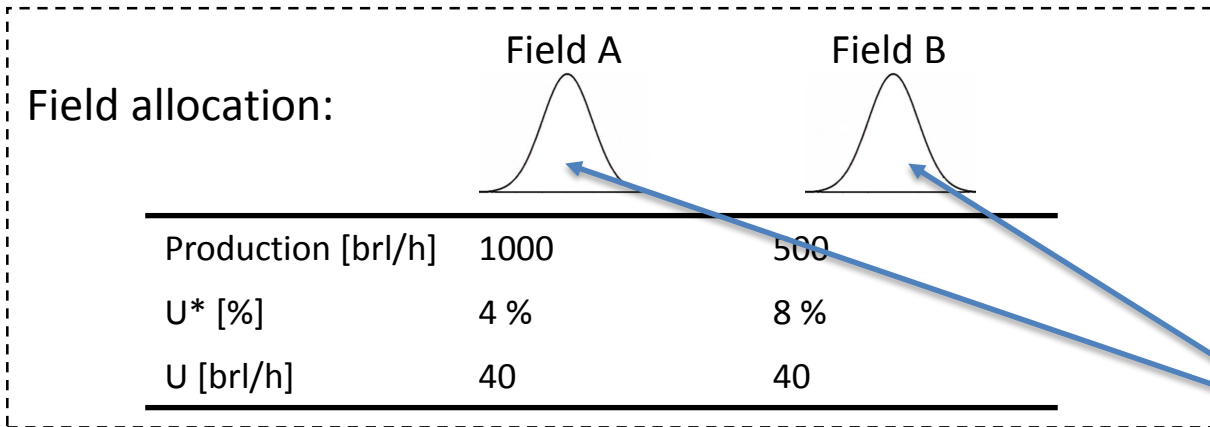
	Field A	Field B
Owner 1	30 %	100 %
Owner 2	60 %	-
Owner 3	10 %	-

Suggestion:

$$U_{owner\ 1}^* = f(input\ measurements)$$

Write down **analytically** the equations relating the allocated quantities to each owner expressed in terms of the input parameters, including any conversions between volume and mass, component calculations etc. Then calculate the **sensitivity coefficients** associated with each input parameter, and perform an uncertainty analysis.

Ownership allocation uncertainty



Correlated distributions!

Ownership matrix:

	Field A	Field B
Owner 1	30 %	100 %
Owner 2	60 %	-
Owner 3	10 %	-

Another suggestion:

Multiply **directly** the field allocation uncertainties with the ownership matrix:

Rate allocated to owner 1: $0.3 \cdot 1000 + 1 \cdot 500 = 800$ brl/h

Assuming correlation = 1:

Absolute uncertainty: $0.3 \cdot 40 + 1 \cdot 40 = 52$ brl/h

Relative uncertainty: **6.5 %**

Assuming correlation = -1 :

Absolute uncertainty: $ABS(0.3 \cdot 40 - 1 \cdot 40) = 28$ brl/h

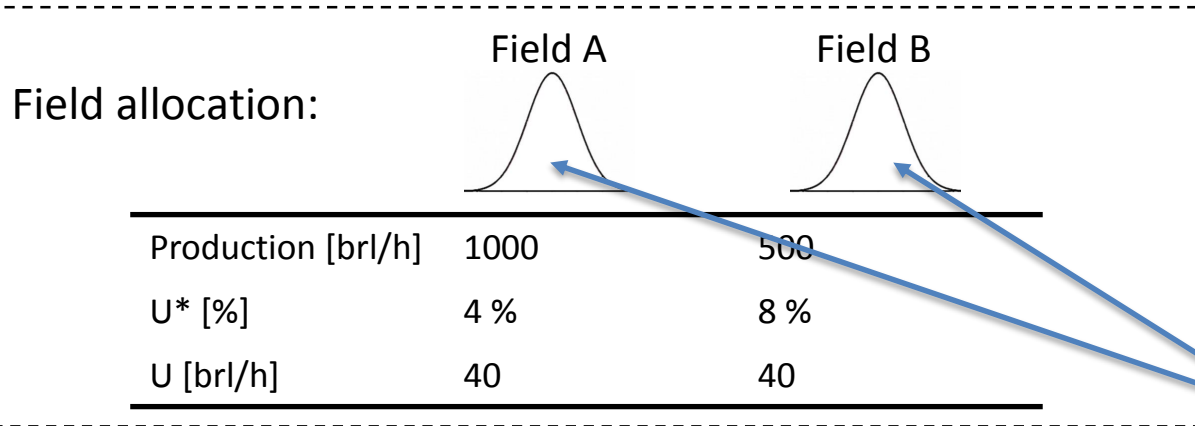
Relative uncertainty: **3.5 %**

Assuming no correlations:

Absolute uncertainty: $\sqrt{(0.3 \cdot 40)^2 + (1 \cdot 40)^2} = 42$ brl/h

Relative uncertainty: **5.2 %**

Ownership allocation uncertainty



Correlated distributions!

Ownership matrix:

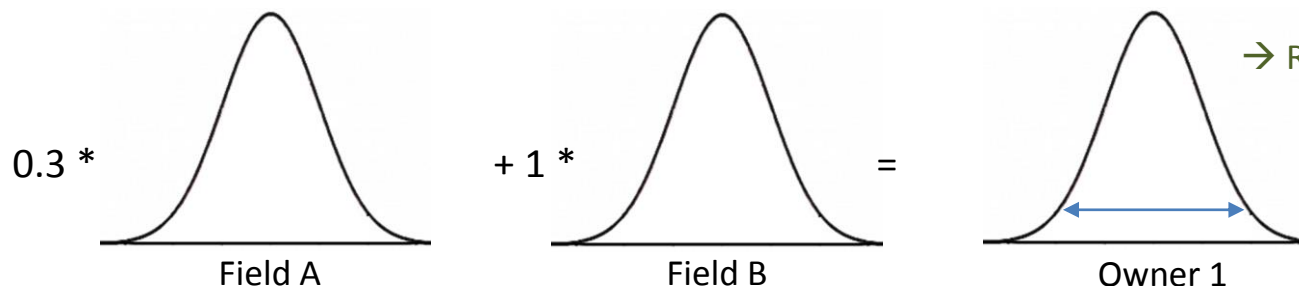
	Field A	Field B
Owner 1	30 %	100 %
Owner 2	60 %	-
Owner 3	10 %	-

Another suggestion: Multiply the correlated field allocation **distributions** with the ownership matrix, then calculate the uncertainty from the width of the ownership allocation distribution:

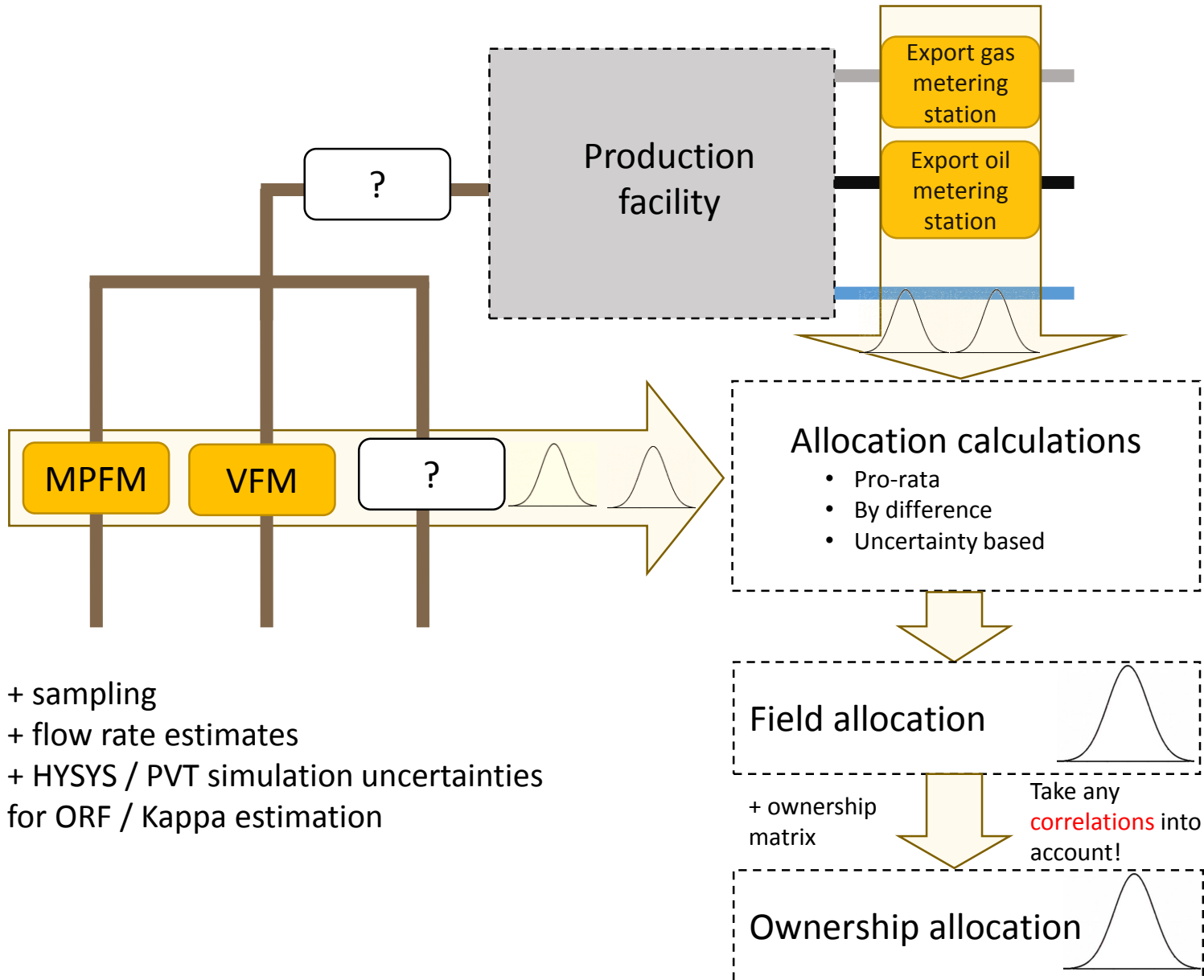
Rate allocated to owner 1:

Absolute uncertainty from distribution: $2 \cdot \sigma$

→ Relative uncertainty = **3.5 %**



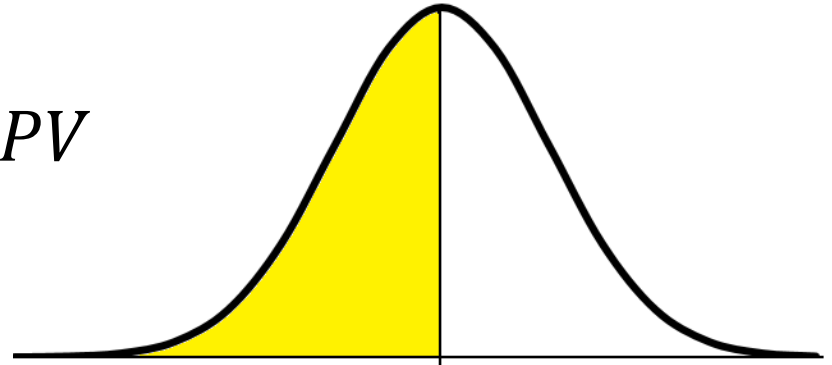
Modular logic and Monte Carlo simulation



Calculation of risk associated with allocation uncertainty

$$Q = \frac{U^* \cdot NPV}{\sqrt{8\pi}} \approx 0.2 \cdot U^* \cdot NPV$$

(Stockton, 2009)



Risk exposure for each owner:

Ignoring correlations or assuming a correlation factor of +1 may result in erroneous estimation of the economic risk each owner is exposed to

Comparison with method based on ownership factor

NORSOK standard I-106

Edition 1, November 2014

ANNEX C **System selection criteria (informative)**

(...)

In an allocation measurement between 2 production licenses the cost benefit analysis has to take into account that some of the partners may have ownership interests in both production licenses. The reason for this is that a partner with ownership interests in both production licenses will regain some of the loss as he is also owner in the other production license.

To account for this, the average difference in ownership between the production licenses has to be calculated. This can be done by summarizing the absolute value of the differences in ownership for all partners and divide the result by 2. A necessary presumption for performing cost benefit analysis is that all partners behave jointly to the benefit of the license group.

$$\text{Average difference in ownership} = \frac{1}{2} * \sum_{partner=1}^n ABS[(\text{Share in license 1} - \text{share in license 2})]$$

For allocation measurement concept B is acceptable if:

$$(C_A - C_B) > (U_B - U_A) * \text{Risk factor} * \text{NPV} * \text{Average difference in ownership.}$$

Comparison with method based on company relative risk



Method taking into account that the risk exposure and income must be calculated for each company separately

$$\frac{\text{Company exposure}}{\text{Company income}} = \frac{\sum_k E_k \cdot NPV_k \cdot U_k}{\sum_k E_k \cdot NPV_k}$$

E_k : Ownership in field k
 NPV_k : Net present value of field k
 U_k : Field allocation uncertainty of field k

From equation proposed in «Konseptvalg fiskale målinger» at NFOGM temadag 2014 (simplified here, no differentiation between the different production years)

This method is comparable with multiplying directly the field allocation uncertainties with the ownership matrix

→ Method if field-allocated quantities have a correlation factor of +1

Other interesting areas

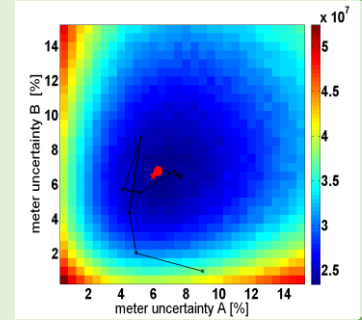
Risk analysis

CAPEX + OPEX
Allocation uncertainty
Flow rates
Ownership matrix
→ **Economic risk**



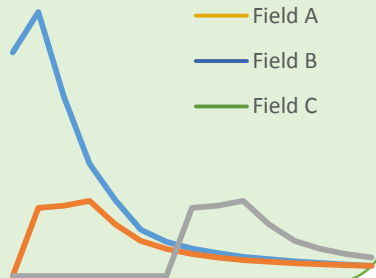
Meter uncertainty optimization

- CAPEX
- OPEX
- Calibration interval



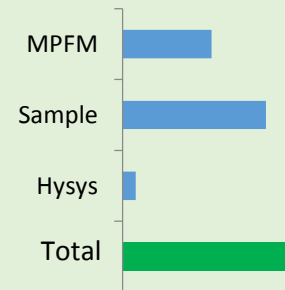
Lifetime analysis

- Flow rate variations
- Production decline
- Increasing GOR



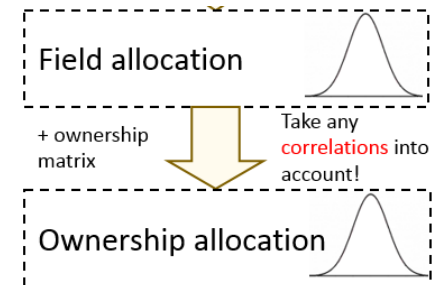
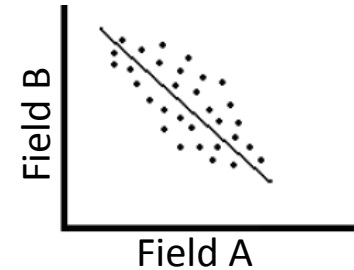
Uncertainty budgets

- Sensitivity to input parameters
- Identifying the most significant contributions



Summary

- When flows are combined in an allocation system this results in correlation between the field allocated quantities
- This correlation must be taken into account in the ownership uncertainty and risk calculations
- These effects are often not intuitive → an analysis must be carried out



Modular logic and Monte Carlo simulation

